

# Ambient Intelligence

## Semantic Ambient Assistance Processes

Serge Autexier   Christoph Stahl

German Research Center for Artificial Intelligence (DFKI), Bremen, Germany

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- ▶ Modelling the environment
- ▶ Acting on the environment
- ▶ Interfaces
- ▶ Observing/Monitoring the environment
- ▶ Intelligent Assistance: Planning vs. Programming
  - ▶ Reacting on failures

# Modelling the environment

- ▶ The different objects, sensors, actors, locations, etc.
- ▶ The relationships between these
- ▶ Derivable properties



- ▶ The different objects, sensors, actors, locations, etc.
  - ▶ The relationships between these
  - ▶ Derivable properties
- 
- ▶ Modelling using Ontologies



- ▶ Ontology-language interoperable with OWL 2
- ▶ Closer to DL languages
- ▶ Formalisation consists of **terminology** (TBOX) und **assertions** (ABOX):
  - ▶ TBOX:
    - ▶ Inclusions  $C \sqsubseteq D$
    - ▶ Definitions  $C ::= D, C \text{ Name}$
    - ▶ Maximally one Definition per name
  - ▶ ABOX:

*Steve : Parent, (Steve, John) : hasChild*

	Description Logic	Concrete SHIP Syntax
Inclusion	$A \sqsubseteq B$	$A < B$
Definition	$A ::= B$	$A ::= B$
Union, Intersection	$A \sqcup B, A \sqcap B$	$A + B, A \& B$
Ex, All	$\exists R.A, \forall R.A$	ex R.A, all R.A
Disjointness	<code>DisjointClasses(A,B)</code>	<b>Disjoint</b> (A, B)
Functional Roles	<code>FunctionalObjectProperty(R)</code>	<b>Func</b> (A, B)
	<code>FunctionalObjectProperty(R), ObjectPropertyDomain(R, A), ObjectPropertyRange(R, B)</code>	$R:A \rightarrow B$
	<code>Light ::= LightOn +LightOff, DisjointClasses(LightOn, LightOff)</code>	<code>Light ::= LightOn LightOff</code>

## Description Logic

```
WheelChair  $\sqsubseteq \exists$ route.Route  
 $\sqcap \exists$ carries.OptPerson,  
FunctionalObjectProperty(route),  
FunctionalObjectProperty(carries),  
ObjectPropertyRange(route, Route),  
ObjectPropertyRange(carries, OptPerson),  
ObjectPropertyDomain(route,  
WheelChair),  
ObjectPropertyDomain(carries, WheelChair)
```

## Concrete SHIP Syntax

```
WheelChair ::=  
WheelChair(route:Route,  
carries:OptPerson)
```

- ▶ ALC: only atomic Roles
- ▶ ALCN: unqualified number restrictions for roles

$$\leq nR, \geq nR$$

- ▶ ALCQ: qualified number restrictions for roles

$$\leq nR.C, \geq nR.C$$

- ▶ ALCI: Inverse roles

$$\forall R^{-}.C, \exists R^{-}.C, \dots$$

- ▶ ALCO: nominal classes and roles

$$\{a\}, \{(c, d)\}, \dots$$

- ▶ Describe environment and their attributes but also any other kind of basic information ( $\approx$  classes and attributes)

```
Light ::= LightOn | LightOff
```

```
WheelChair ::= WheelChair(route:Route, carries:OptPerson)
```

```
OptPerson = Person | Nobody
```

- ▶ **ABox**-facts represent current state and process information

```
livingroomlight1:LightOn
```

```
bathroomlight2:LightOff
```

```
rolland:WheelChair
```

```
(rolland, r1):route
```

```
(rolland, paul):carries
```

- ▶ Represent derived knowledge/properties (no counterpart in programming languages)

```
WCCarriesPerson = WheelChair  $\sqcap$   $\exists$ carries . Person
```

```
WCNonEmptyroute = WheelChair  $\sqcap$   $\exists$ route . NonEmptyRoute
```

- ▶ Use it in queries to test/find sensors/actors/devices based on their properties

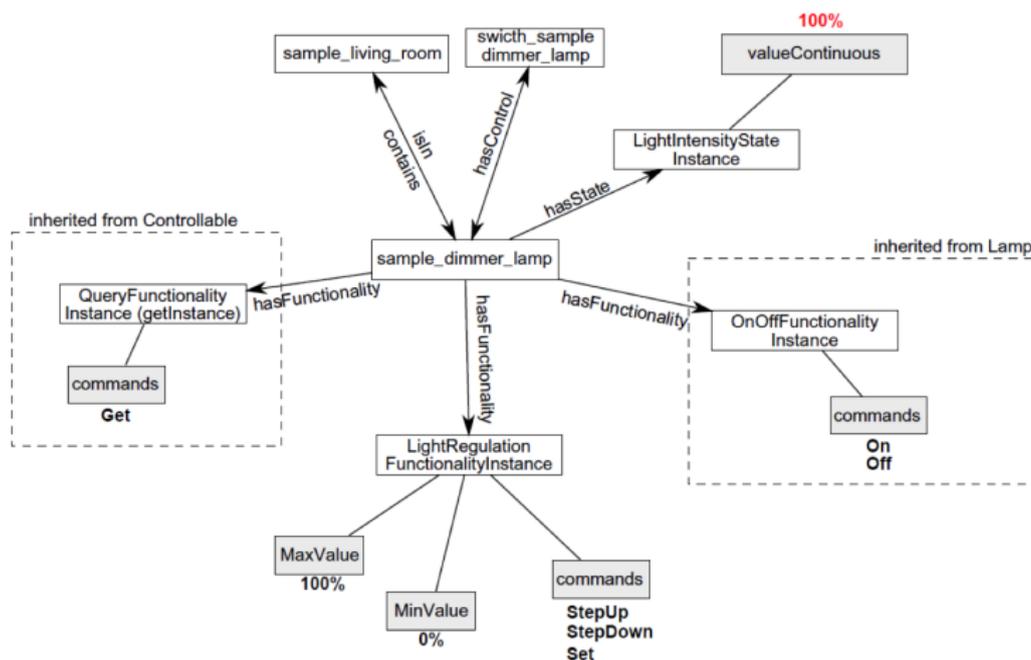
```
wc:WCNonEmptyroute and  
(wc:WCCarriesPerson or  
  ex person:(Person & (ex elementIsInArea . { livingroom })))  
// carries a person or there is a person in the area... //
```

- ▶ Similar to queries over databases (e.g. SQL), but **logical database**.

# Modellierung einer Lampe in DogOnt in vereinfachter Syntax



Cyber-Physical Systems



# Changes in the Environment

livingroomlight1:LightOn  
(rolland, nobody):carries  
(rolland,sofa):at

livingroomlight1:LightOff  
(rolland, nobody):carries  
(rolland,sofa):at

livingroomlight1:LightOff  
(rolland, nobody):carries  
(rolland, table):at

livingroomlight1:LightOff →

(rolland, table):at →

- ▶ Updates are provided on ABox-facts only
- ▶ Minimal and complete to keep ABoxes **constructive**
  - ▶ Derived from logical properties of declarations
  - ▶ Like only allowing sensor and actor updates, but also for process internal knowledge

livingroomlight1:LightOn  
(rolland, paul):carries  
(rolland, sofa):at  
(paul, sofa):at

livingroomlight1:Off  
(rolland, paul):carries  
(rolland, **table**):at  
(paul, **sofa**):at

(rolland, table):at



- ▶ Updates are provided on ABox-facts only
- ▶ Minimal and complete to keep ABoxes **constructive**
  - ▶ Derived from logical properties of declarations
  - ▶ Like only allowing sensor and actor updates, but also for process internal knowledge

# Handling Frame Problem by Causal Relationships



```
indirect effect CarriedPersonMovesAsWell = {  
  init = (wc,p):at  
  causes = (x,p):at  
  cond = (wc,x):carries, x:Person, wc:WheelChair  
}
```

- ▶ Causal relationships: Baader F., et.al., 2010. *Using causal relationships to deal with the ramification problem in action formalisms based on description logics*, LPAR 2010.
- ▶ Include indirect effect rules declarations to ontology

- ▶ Apply upon update, add additional new facts, which in turn removes more old facts (hence unlike ontology rules)

livingroomlight1:LightOn  
(rolland, paul):carries  
(rolland, sofa):at  
(paul, sofa):at

livingroomlight1:LightOff  
(rolland, paul):carries  
(rolland, **table**):at  
(paul, **table**):at

(rolland, table):at



Acting on the environment

Action descriptions:  $a(\varphi, (\alpha, \delta), (\varphi_1 \rightarrow (\alpha_1, \delta_1), \dots))$

- ▶ Action name:  $a$ , possibly with parameters
- ▶ Preconditions  $\varphi$ : list of literals that need to hold
- ▶ Effects
  - ▶ Unconditional:
    - ▶ add  $\alpha$ : list of atomic assertions that are added
    - ▶ del  $\delta$ : list of atomic assertions that are deleted
  - ▶ Conditional:
    - ▶ If  $\varphi_i$  holds in previous world then add  $\alpha_i$  and delete  $\delta_i$

(remember Jess, RETE network)

```
action switchOn (l) =  
{  
pre = l:LightOn  
effect = l:lightOff  
}
```

```
action switchLight (l) =  
{  
pre = l:Light  
if (l:LightOn) l:LightOff  
if (l:LightOff) l:LightOn  
}
```

- ▶ Action application computes an update (change) and is applied like a change obtained from the environment



- ▶ Assume there is a second light `livingroomlight2`, physically synchronized with `livingroomlight1`
- ▶ How would you model that connection?

- ▶ What happens on

```
livingroomlight1:LightOn  
livingroomlight2:LightOn
```

- ▶ On

```
livingroomlight1:LightOn  
livingroomlight2:LightOff
```

Observing/Monitoring the environment

- ▶ We want to formulate that those two lamps are always in the same state, and detect when they are not (malfunction).
- ▶ Observing events over time:  
*When the livingroomlight1 has been turned on, then the lowerleftdoor is opened and the corridorlight switched on, then livingroomlight1 is turned off.*
- ▶ Observing derived properties over time:  
*A room remains illuminated at night as long as a person is in it until the person leaves the room or turns off all lights in that room*

- ▶ Language to formulate behaviour over time: temporal logic over ABox properties

- ▶ formulas over ABox atoms:

$$\alpha = n : C \mid \text{not } \alpha \mid \alpha \text{ and } \alpha \mid \alpha \text{ or } \alpha \mid \alpha \Rightarrow \alpha$$

- ▶ temporal connectives

▶ Globally	$G\varphi$	Now and always in the future
▶ Eventually	$F\varphi$	Now or eventually in the future
▶ Until	$\varphi U \psi$	$\varphi$ holds until $\psi$ holds

- ▶ bounded quantification

▶ Forall	$\forall n : C. \varphi$	for all $n$ satisfying $C$ (will) hold $\varphi$
▶ Exists	$\exists n : C. \varphi$	for some $n$ satisfying $C$ (will) hold $\varphi$

- ▶ We want to formulate that those two lamps are always in the same state, and detect when they are not (malfunction).

$G((\text{livingroomlight1:LightOn and livingroomlight2:LightOn}) \text{ or } (\text{livingroomlight1:LightOff and livingroomlight2:LightOff}))$

- ▶ Observing events over time:

*When the livingroomlight1 has been turned on, then the lowerleftdoor is opened and the corridorlight switched on, then livingroomlight1 is turned off.*

$\text{livingroomlight1:LightOn} \Rightarrow F((\text{lowerleftdoor:Open and } \text{corridorlight:LightOn}) \Rightarrow F(\text{livingroomlight1:LightOff}))$

- ▶ Observing derived properties over time:

*A room remains illuminated at night as long as a person is in it until the person leaves the room or turns off all lights in that room*

```
isinarea: (Person  $\sqcup$  Light)  $\rightarrow$  Room
```

```
RoomIlluminated ::= Room  $\sqcap$   $\exists$ inv(isinarea) . LightOn
```

```
RoomNotIlluminated ::= Room  $\sqcap$   $\forall$ inv(isinarea) . LightOff
```

```
daytime: Night and r: RoomIlluminated
```

```
and p: (Person  $\sqcap$  ( $\exists$ isinarea . {r}))  $\Rightarrow$ 
```

```
(daytime: Night and r: RoomIlluminated  $\cup$  (r: RoomNotIlluminated or  
not((p,r): isinarea))
```

```
rolland:WCNonEmptyRoute  
(rolland,p1):at  
(rolland,p2):WCNextPosition
```



Progress:  $\text{init } G(\text{all } wc:WCNonEmptyRoute .$   
 $\text{WellBehaved}(wc) \cup wc:WCEmptyRoute)$

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:Position . \forall p2:Position .$   
 $(wc,p1):at \text{ and } (wc,p2):WCNextPosition . (wc,p1):at \cup$   
 $(wc,p2)$ 
```

```
rolland:WCNonEmptyRoute  
(rolland,p1):at  
(rolland,p2):WCNextPosition
```



Progress:  $(\text{rolland}, p1):at \text{ U } (\text{rolland}, p2):at$   
and  $G(\text{all } wc:WCNonEmptyRoute . \text{WellBehaved}(wc) \text{ U } wc:WCEmptyRoute)$

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:Position . \forall p2:Position .$   
                   $(wc, p1):at \text{ and } (wc, p2):WCNextPosition . (wc, p1):at \text{ U } (wc, p2)$ 
```

```
rolland:WCNonEmptyRoute  
(rolland,p2):at  
(rolland,p3):WCNextPosition
```



Progress:  $(\text{rolland}, p1):\text{at} \text{ U } (\text{rolland}, p2):\text{at}$   
and  $\text{G}(\text{all } \text{wc}:\text{WCNonEmptyRoute} . \text{WellBehaved}(\text{wc}) \text{ U } \text{wc}:\text{WCEmptyRoute})$

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:\text{Position} . \forall p2:\text{Position} .$   
                   $(\text{wc}, p1):\text{at} \text{ and } (\text{wc}, p2):\text{WCNextPosition} . (\text{wc}, p1):\text{at} \text{ U } (\text{wc}, p2)$ 
```

```
rolland:WCNonEmptyRoute  
(rolland,p2):at  
(rolland,p3):WCNextPosition
```



Progress:  $(\text{rolland}, p2):\text{at} \text{ U } (\text{rolland}, p3):\text{at}$   
and  $G(\text{all } wc:\text{WCNonEmptyRoute} . \text{WellBehaved}(wc) \text{ U } wc:\text{WCEmptyRoute})$

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:\text{Position} . \forall p2:\text{Position} .$   
                   $(wc, p1):\text{at} \text{ and } (wc, p2):\text{WCNextPosition} . (wc, p1):\text{at} \text{ U } (wc, p2)$ 
```

rolland:WCEmptyRoute  
(rolland,p3):at



Progress: (rolland,p2):at U (rolland,p3):at  
and G(all wc:WCNonEmptyRoute . WellBehaved(wc)U wc:WCEmptyRoute)

G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:Position . \forall p2:Position .$   
(wc,p1):at and (wc,p2):WCNextPosition . (wc,p1):at U  
(wc,p2)

```
rolland:WCEmptyRoute  
(rolland,p3):at
```



```
Progress: G(all wc:WCNonEmptyRoute .  
            WellBehaved(wc)U wc:WCEmptyRoute)
```

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:Position . \forall p2:Position .$   
                    (wc,p1):at and (wc,p2):WCNextPosition . (wc,p1):at U  
                    (wc,p2)
```

```
rolland:WCNonEmptyRoute  
(rolland,p2):at  
(rolland,p3):WCNextPosition
```



Progress:  $(\text{rolland}, p2):\text{at} \text{ U } (\text{rolland}, p3):\text{at}$   
and  $\text{G}(\text{all } \text{wc}:\text{WCNonEmptyRoute} . \text{WellBehaved}(\text{wc}) \text{ U } \text{wc}:\text{WCEmptyRoute})$

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:\text{Position} . \forall p2:\text{Position} .$   
                   $(\text{wc}, p1):\text{at} \text{ and } (\text{wc}, p2):\text{WCNextPosition} . (\text{wc}, p1):\text{at} \text{ U } (\text{wc}, p2)$ 
```

```
rolland:WCNonEmptyRoute  
(rolland,p1):at  
(rolland,p2):WCNextPosition
```



```
Progress: (rolland,p2):at U (rolland,p3):at  
and G(all wc:WCNonEmptyRoute . WellBehaved(wc)U wc:WCEmptyRoute)
```

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:Position . \forall p2:Position .$   
                  (wc,p1):at and (wc,p2):WCNextPosition . (wc,p1):at U  
                  (wc,p2)
```

```
rolland:WCNonEmptyRoute  
(rolland,p1):at  
(rolland,p2):WCNextPosition
```



Progress: False

```
G(all wc:WCNonEmptyRoute . WellBehaved(wc))  
WellBehaved(wc) ::=  $\forall p1:Position . \forall p2:Position .$   
                  (wc,p1):at and (wc,p2):WCNextPosition . (wc,p1):at  $\cup$   
                  (wc,p2)
```